4QX10M=40M	

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BENGALURU _School of Computer Science & Engineering Mid - Term Examinations - November 2024

Semester: V		Date : 07	7-11-2024			
Course Code: CSE2066		Time : 02	Time : 02.00pm to 03.30pm			
Course Name: COMPUTER GRAPHICS		Max Ma	rks : 50			
Program: B.TECH			age: 25%			
Instructions: (i) Read all questions carefully and answer accordingly. (ii) Do not write anything on the question paper other than roll number. Part A						
Answer ALL the Questions. Each question carries 2 marks.			5Qx2M=10M			
1	Define the two main types of computer graphics.		2 Marks	L1	C01	
2	List the two main differences between LCD and LED.		2 Marks	L1	C01	
3	What is point clipping?		2 Marks	L1	CO2	
4	Recall the four cases for line clipping.		2 Marks	L1	CO2	
5	What are the four major areas of application for computer graph	ics?	2 Marks	L1	C02	

Part B

Answer ALL Questions. Each question carries 10 marks.

6 Explain and Apply Bresenham's line drawing algorithm to 10 Marks L1 C01 determine the coordinates of the line between the points (3, 2) and (9, 4). Show all the intermediate calculations and points.

or

Explain and apply the midpoint circle drawing algorithm to 10 Marks L3 C01 determine the points that will be plotted for a circle with radius r=6, centered at (0, 0). Show all the intermediate calculations.

8	a.	Outline the process of object representation on a screen using Raster Scan with the help of a diagram.	5 Marks	L2	C01
	b.	Summarize the properties of CRT (Cathode-Ray Tube) and LCD (Liquid Crystal Display) monitors. Mention one major advantage and disadvantage of each.	5 Marks	L2	C01
		or			
9	a.	Outline the working principle of the Beam-Penetration Method in CRT monitors.	5 Marks	L2	C01
	b.	Compare emissive and non-emissive flat panel displays, providing examples for each and explaining how they differ in their operation and application.	5 Marks	L2	C01
10	a.	Demonstrate how to use homogeneous coordinates to magnify the triangle ABC, where A = $(0, 0)$, B = $(1, 1)$, and C = $(4, 2)$, to twice its size while keeping point C $(4, 2)$ fixed. Show the new coordinates of the triangle.	5 Marks	L2	C02
	b.	Describe the steps involved in performing a 2D rotation around a general pivot point (x_r, y_r) . Explain why the translate-rotate-translate sequence is necessary and how the composite transformation matrix is formed.	5 Marks	L2	CO2
		or			
11	a.	Explain the process of performing 2D scaling around a general pivot point. Describe why a translation is needed before and after the scaling operation, and how the matrices are concatenated to produce the final transformation.	5 Marks	L2	CO2
	b.	Calculate the new coordinates of the triangle ABC, where $A = (2, 3)$, $B = (5, 5)$, and $C = (4, 3)$, after rotating it by an angle of 45 degrees about the point $(1, 1)$ using the homogeneous coordinates transformation matrix. Show the steps involved in constructing and applying the transformation matrix.	5 Marks	L2	C02
12		Explain the Cohen-Sutherland algorithm for line clipping. Determine the region codes for the endpoints of line P1(0, 40) and P2(90, 100) with respect to the rectangular window ABCD, where $A = (20, 20), B = (90, 20), C = (90, 70), and D = (20, 70).$ Apply the	10 Marks	L3	CO2

Cohen-Sutherland algorithm to calculate the clipped coordinates of the line segment.

or

13 Explain the Sutherland-Hodgman polygon clipping algorithm. 10 Marks L3 CO2 Apply the Sutherland-Hodgman polygon clipping algorithm to clip the polygon with vertices A(2, 2), B(6, 2), C(6, 6), and D(2, 6) against the clipping window defined by (xwmin,ywmin)=(4,3) and (xwmax,ywmax)=(7,7) Determine the new set of vertices for the clipped polygon and show all the intermediate steps.