



PRESIDENCY UNIVERSITY

BENGALURU

Roll No.																			
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Make Up Examinations -December 2025

Date: 06- 01-2026

Time:09:30am - 12:30pm

School: SOE	Program: B. Tech	
Course Code :MAT1002	Course Name : Transform Techniques, Partial Differential Equations and Their Applications	
Semester: MK	Max Marks:100	Weightage: 50%

CO - Levels	C01	C02	C03	C04
Marks	24	31	16	29

Instructions:

- (i) Read all questions carefully and answer accordingly.
- (ii) Do not write anything on the question paper other than roll number.

Part A

Answer ALL the Questions. Each question carries 2marks.

10Q x2M=20M

1	If $f(x) = x^2$ and $g(x) = \cos x$, then verify whether the product $f(x) \cdot g(x)$ is even or odd?.	2 Marks	L1	C01
2	Find b_n for $f(x)=x^3$ in the interval $(0,2\pi)$.	2 Marks	L2	C01
3	Find the Laplace transform of $(2025t^2 + 2024t)$.	2 Marks	L2	C02
4	Find the inverse Laplace transform of $\frac{1}{(s-2)^2}$.	2 Marks	L1	C02
5	Define Fourier transforms.	2 Marks	L1	C02
6	Find $Z[a^n \cosh n\theta]$.	2 Marks	L1	C03
7	Find the z-transform of $\cos\left(\frac{n\pi}{2}\right)$.	2 Marks	L2	C03
8	Write formula for $Z[u_{n+3}]$.	2 Marks	L1	C03
9	Find the order and degree of the partial differential equation $\left(\frac{\partial^2 z}{\partial x^2}\right)^3 + \frac{\partial z}{\partial y} = \cos x$.	2 Marks	L1	C04

10	Write the Lagrange's auxiliary equation of $x^2p + y^2q = z^2$.	2 Marks	L1	CO4
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Part B

Answer the Questions.

Total Marks 80M

11.	a.	Obtain the Fourier expansion of $f(x) = \begin{cases} x, & 0 < x < \pi \\ 2\pi - x, & \pi < x < 2\pi \end{cases}$ over the interval $[0, 2\pi]$.	10 Marks	L3	CO1
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Or

12.	a.	Find the Fourier series of the function $f(x) = (l - x)^2$ in $0 \leq x \leq 2l$.	10 Marks	L3	CO1
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13.	a.	Find the half range (a) cosine series and (b) sine series for $f(x) = \begin{cases} x, & \\ 2 - x, & \end{cases}$ in $(0, \pi)$.	10 Marks	L3	CO1
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Or

14.	a.	Expand the function $f(x)$ in terms of Fourier series by means of the table of values given below. Find the series up to the second harmonics.	10 Marks	L3	CO1														
		<table border="1"> <tr> <td>x</td> <td>0</td> <td>1</td> <td>2</td> <td>3</td> <td>4</td> <td>5</td> </tr> <tr> <td>$f(x)$</td> <td>4</td> <td>8</td> <td>15</td> <td>7</td> <td>6</td> <td>6</td> </tr> </table>	x	0	1	2	3	4	5	$f(x)$	4	8	15	7	6	6			
x	0	1	2	3	4	5													
$f(x)$	4	8	15	7	6	6													

15.	a.	Find inverse Laplace transform of $\frac{s}{(s+2)(s+3)}$.	10 Marks	L3	CO2
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Or

16.	a.	Apply convolution theorem to find inverse Laplace transform of $\frac{s}{s(s^2+4)}$.	10 Marks	L3	CO2
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17.	a.	Find Z-transform of $\sin\left(\frac{n\pi}{2}\right)$, $(n+1)^2$ and ne^{an} .	10 Marks	L3	CO3
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Or

18.	a.	Use Z-transform method to solve $u_{n+2} + 4u_{n+1} + 3u_n = 3^n$, $u_0 = 0$ and $u_1 = 1$.	10 Marks	L3	CO3
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19.	a.	Form the PDE by eliminating the arbitrary constants a, b and c from $z = ax + by + cxy$.	10 Marks	L3	CO4
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Or

20.	a.	Solve $\frac{\partial^2 z}{\partial x^2} + 4z = 0$, given that when $x = 0, z = e^{2y}$ and $\frac{\partial z}{\partial x} = 2$.	10 Marks	L3	CO4
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21.	a.	Express the function $f(t) = \begin{cases} \cos t, & 0 < t < \pi \\ \cos 2t, & \pi < t < 2\pi \\ \cos 3t, & t > 2\pi \end{cases}$ in terms of unit step function and hence find their Laplace transform.	15 Marks	L3	CO2
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Or

22.	a.	Using Laplace transform method solve $\frac{d^2 y}{dt^2} + \frac{dy}{dt} + 3y = e^{-t}$ with $y(0) = y'(0) = 0$.	15 Marks	L3	CO2
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23.	a.	Solve $(z - y)p + (x - z)q = y - x$.	15 Marks	L3	CO4
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Or

24.	a.	Solve $\frac{\partial^2 z}{\partial x^2} = xy$ subject to conditions $\frac{\partial z}{\partial x} = \log(1 + y)$ when $x = 1$ and $z = 0$ when $x = 0$.	15 Marks	L3	CO4
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***** BEST WISHES *****