



# PRESIDENCY UNIVERSITY

BENGALURU

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## Mid - Term Examinations - March 2026

Date: 14 -03-2026

Time: 09.30am to 11.00am

<b>School:</b> SOCSE	<b>Program:</b> CBC, CBD, CDV, COM, CSD, CSE, CSG, CSI, CSN, IST		
<b>Course Code:</b> CSE2264	<b>Course Name:</b> Essentials of AI		
<b>Semester:</b> IV	<b>Max Marks:</b> 50	<b>Weightage:</b> 25%	

CO - Levels	C01	C02	C03	C04	C05
Marks	20	30			

### Instructions:

- (i) Read all questions carefully and answer accordingly.
- (ii) Do not write anything on the question paper other than roll number.

### Part A

Answer ALL the Questions. Each question carries 2marks.

5Q x 2M=10M

1	State true or false. IDDFS has worse asymptotic time complexity than BFS because IDDFS repeatedly searches at every level till the solution, unlike BFS which searches only once.	2 Marks	L1	C01
2	State yes or no. Given the jugs with volumes 2 litre and 4 litre we can fill the volume of 3 litres.	2 Marks	L1	C01
3	State the term which means that, for all nodes, the heuristic value is less than or equal to the minimum cost to reach the goal node.	2 Marks	L1	C01
4	Given the function $f(x) = x^2$ , state the value of the gradient ( $f'(x)$ ) at $x = 1$ .	2 Marks	L1	C01
5	State the term used for changing the value of a part of an intermediate solution in genetic algorithms.	2 Marks	L1	C01

## Part B

### Answer the Questions.

**Total Marks 40M**

<b>6.</b>	<p>Consider a situation where we are performing uninformed search. The solution state is at a depth <math>d = 5</math> from the start state (where the start state is at a depth of <math>d = 0</math>). Each state generates <b>10 more states</b> (i.e. the branching factor <math>b = 10</math>). Compute the number of operations needed for the BFS and the IDDFS.</p>	<b>10 Marks</b>	<b>L2</b>	<b>CO1</b>																					
<b>Or</b>																									
<b>7.</b>	<p>Consider a situation of the <b>water jug problem</b> (similar to one of the questions in CA1). Here, we have 3 jugs of volumes 3 litres, 5 litres and 8 litres, and we have to fill the 5 litre jug and the 8 litre jug with 4 litres each. Initially, the 8 litre jug is full, and the 3 litres and 5 litres jugs are empty. Unlike the standard 3 litre and 5 litre water jug problem, we cannot empty or fill any jug from an external source.</p> <p>Recall the rules from the original problem:</p> <ul style="list-style-type: none"> <li>• Fill(x) – Fills the x litre jug</li> <li>• Empty(x) – Empties the x litre jug</li> <li>• Pour(x, y) – Pours water from the x litre jug to the y litre jug.</li> </ul> <p>In the new problem, we can only pour from 1 jug to another.</p> <p>With that in mind, complete the below table by <b>computing</b> to come up with <b>equivalent rules</b> for the new water jug problem (Pour(5,3) is given as an example):</p> <table border="1" style="width: 100%; border-collapse: collapse; margin: 10px 0;"> <thead> <tr> <th style="width: 30%;">Old Rule</th> <th style="width: 35%;">Pour from X</th> <th style="width: 35%;">Pour to Y</th> </tr> </thead> <tbody> <tr> <td>Fill(3)</td> <td style="text-align: center;">_____</td> <td style="text-align: center;">_____</td> </tr> <tr> <td>Fill(5)</td> <td style="text-align: center;">_____</td> <td style="text-align: center;">_____</td> </tr> <tr> <td>Empty(3)</td> <td style="text-align: center;">_____</td> <td style="text-align: center;">_____</td> </tr> <tr> <td>Empty(5)</td> <td style="text-align: center;">_____</td> <td style="text-align: center;">_____</td> </tr> <tr> <td>Pour(3,5)</td> <td style="text-align: center;">_____</td> <td style="text-align: center;">_____</td> </tr> <tr> <td>Pour(5,3)</td> <td style="text-align: center;">5 litres</td> <td style="text-align: center;">3 litres</td> </tr> </tbody> </table> <p>NOTE: For your answer, you should only write the values <b>3 litres</b>, <b>5 litres</b>, and <b>8 litres</b> in the blanks.</p>	Old Rule	Pour from X	Pour to Y	Fill(3)	_____	_____	Fill(5)	_____	_____	Empty(3)	_____	_____	Empty(5)	_____	_____	Pour(3,5)	_____	_____	Pour(5,3)	5 litres	3 litres	<b>10 Marks</b>	<b>L2</b>	<b>CO1</b>
Old Rule	Pour from X	Pour to Y																							
Fill(3)	_____	_____																							
Fill(5)	_____	_____																							
Empty(3)	_____	_____																							
Empty(5)	_____	_____																							
Pour(3,5)	_____	_____																							
Pour(5,3)	5 litres	3 litres																							

<b>8.</b>	<p>The nation of PanEm has a central Capital City (called Capital), and is surrounded by a number of <b>N</b> tributaries called Sectors. Each sector borders 2 adjacently numbered sectors (Sector <math>i</math> borders Sector <math>(i-1)</math> and Sector <math>(i+1)</math>, with Sector <math>N</math> bordering Sector <math>(N-1)</math> and Sector 1) and Capital. If Capital is coloured BLUE in the map, calculate the number of colours needed to colour the map if (a) <math>N</math> is even and (b) <math>N</math> is odd. Based on this, complete the below table:</p>	<b>15 Marks</b>	<b>L3</b>	<b>CO2</b>
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	N	No. of colours for the map			
	3				
	4				
	99				
	100				
	1000000				

NOTE: For calculating the number of colours if N is even or odd, you need to write a brief explanation, not just the final number of colours.

**Or**

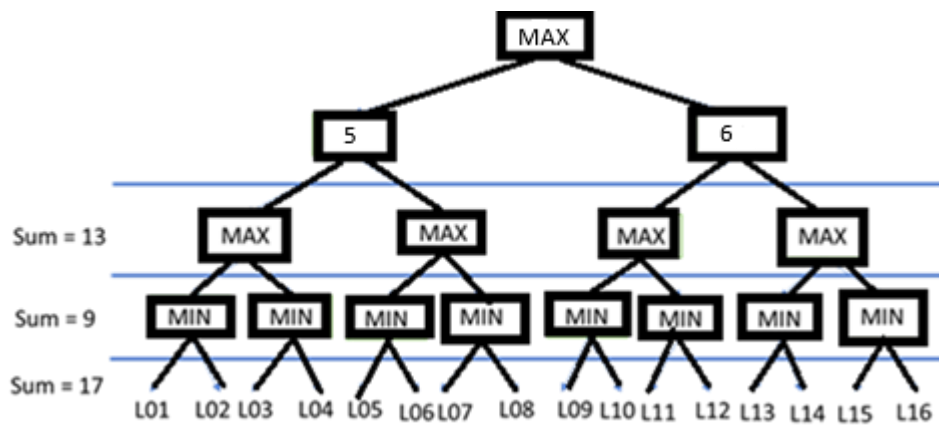
<b>9.</b>	Solve the cryptarithmic problem: TWO + TWO = FOUR where all the digits are in <b>BASE 7</b> (i.e. all the digits should be from 0 to 6).	<b>15 Marks</b>	<b>L3</b>	<b>CO2</b>
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<b>10.</b>	<p>Consider a <b>6 Queen's Problem</b> where we have to arrange 6 queens on a 6x6 chessboard. We plan to solve this using local search by having a fitness function <math>F(c)</math>, where <math>c</math> is the configuration of the chessboard, represented as a 6-dimension vector where each number is the row-number of the queen on the chessboard.</p> <div style="text-align: center;"> </div> <p>For example, in the above figure the configuration, <math>C = [2,4,6,1,3,5]</math> and our fitness function <math>F(C) = 15 - P</math>, where <math>P</math> is the number of <i>distinct attacking pairs of queens</i> (NOTE: Q1 attacking Q2 is considered the same as Q2 attacking Q1). <b>Calculate the fitness function of [1,3,5,4,2,6].</b></p> <p>NOTE: You must not solve the 6-Queen's Problem (the above is a solution). You only have to calculate the value of <math>F([1,3,5,4,2,6])</math>.</p>	<b>15 Marks</b>	<b>L3</b>	<b>CO2</b>
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**Or**

<b>11.</b>	Consider the following game. Every move has 2 options for the players either a left move (L) or a right move (R), and where at a given level (after the first time the MIN player plays), the sum of utilities of the	<b>15 Marks</b>	<b>L3</b>	<b>CO2</b>
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children are the same. For example, in the below tree, the sum of utilities of each of the leaf nodes are 17, so each pair of leaves could be either 1&16, 2&15, etc.



Calculate all the leaf nodes (L01 to L16) of the above tree **AFTER IDEAL ORDERING**. NOTE: The given tree **may not be ideally ordered**. Then, perform alpha-beta pruning to find out all the leaves which are pruned.