



PRESIDENCY UNIVERSITY

BENGALURU

Roll No.														
----------	--	--	--	--	--	--	--	--	--	--	--	--	--	--

End - Term Examinations –May/June 2026

Date: 19-05-2026

Time: 09:30am – 12:30pm

School: SOE	Program: B.Tech-ECE/VLSI	
Course Code : EEE2510	Course Name: Control Systems Engineering	
Semester: : IV	Max Marks:100	Weightage: 50%

CO - Levels	C01	C02	C03	C04	C05	C06
Marks	12	16	2	34	10	26

Instructions:

- Read all questions carefully and answer accordingly.
- Do not write anything on the question paper other than roll number.

Part A

Answer ALL the Questions. Each question carries 2 marks.

10Q x 2M=20M

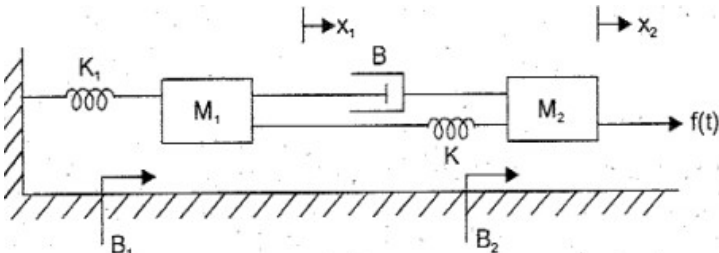
1.	Define the transfer function of a linear time invariant system.	2 Marks	L1	C01
2.	List the various elements present in a block diagram	2 Marks	L1	C02
3.	Explain the block diagram reduction rules for the cases given below. 1. Shifting a summing point after the block 2. Shifting a summing point before the block	2 Marks	L2	C02
4.	Explain the following terms for the Signal Flow Graph 1. Loop 2. Non Touching Loops	2 Marks	L2	C02
5.	Recall the block diagram of the PID controller	2 Marks	L1	C03
6.	Explain the effect of pole location on system stability	2 Marks	L2	C04
7.	Solve for the break away point in Root locus of the open loop transfer function given below. $G(s)H(s) = \frac{K}{s(s+1)(s+2)}$	2 Marks	L3	C04
8.	List the difference between linear and nonlinear systems.	2 Marks	L1	C06

9.	Explain the state model of a linear time invariant system	2 Marks	L2	CO6
10.	Summarize the controllability and observability of a linear time invariant system	2 Marks	L2	CO6

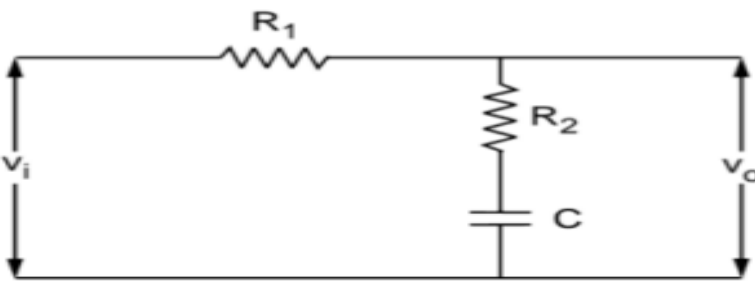
Part B

Answer the Questions.

Total Marks 80M

11.	a.	The mechanical system shown in Fig. represents a vehicle suspension-trailer coupling model, where M_1 is the vehicle body, M_2 is the trailer mass, springs model suspension stiffness, and dampers represent shock absorbers and road friction. (a) Write the differential equations governing the system. (b) Obtain the transfer function between the applied force $f(t)$ and the displacement of the trailer mass $x_2(t)$. 	10 Marks	L3	CO 1
-----	----	---	----------	----	------

Or

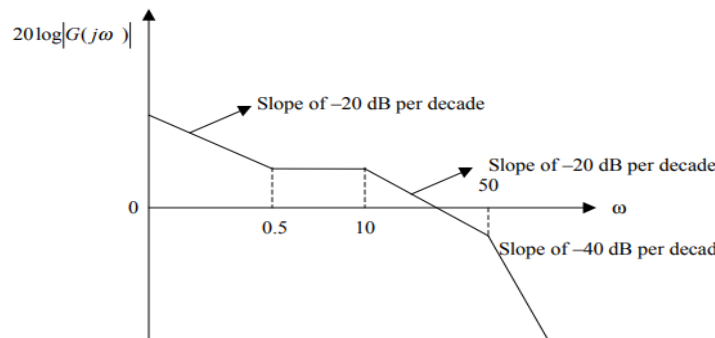
12.	a.	The circuit shown in Fig. represents a first-order RC lead compensator used in control systems to improve the transient response and phase margin of a feedback system. Develop the transfer function $\frac{V_o(s)}{V_i(s)}$ of the circuit. 	10 Marks	L3	CO 1
-----	----	--	----------	----	------

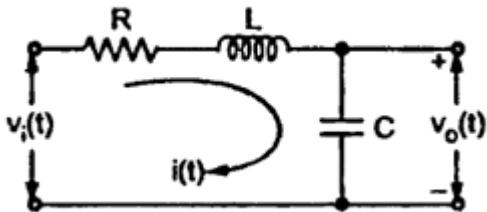
13.	a.	In an industrial speed control system of an electric motor, the controller, power amplifier, motor and load dynamics are represented by the blocks G_1, G_2 and G_3 respectively. H_1 represents a tachometer feedback for inner loop stabilization and H_2 represents speed feedback. Applying block diagram reduction techniques, obtain the overall transfer function $\frac{C(s)}{R(s)}$ of the system shown.	10 Marks	L3	CO 2
-----	----	--	----------	----	------

Or					
14.	a.	The signal flow graphs shown in figure represents an electronic communication systems and control systems, different subsystems such as amplifiers, sensors, and controllers. Applying Mason's Gain Formula, obtain the overall transfer function of the system	10 Marks	L3	CO 2
15.	a.	A control systems engineer is analyzing the stability of an autopilot system in an unmanned aerial vehicle (UAV). While applying the Routh–Hurwitz Stability Criterion to the characteristic equation of the flight control system, certain irregularities arise in the Routh array that complicate stability analysis. Analyze the irregularities and explain the step-by-step procedure to resolve them.	10 Marks	L4	CO 4
Or					
16.	a.	An industrial conveyor belt system requires precise motor speed control to ensure smooth and consistent material handling. A control engineer is tasked with analyzing the stability and performance of the system using Bode plots. The open-loop transfer function of the motor drive system is provided. Explain the step by step method to construct Bode plots and analyze the stability of the system.	10 Marks	L4	CO 4
17.	a.	In a communication receiver system, a feedback control loop is used in the signal conditioning stage to maintain stable amplification and prevent oscillations. The characteristic equation of the closed-loop system derived from the receiver circuitry is given by: $s^6 + 4s^5 + 3s^4 - 16s^2 - 64s - 48 = 0$ Apply the Routh–Hurwitz stability criterion to determine the stability of the communication control system. Identify the number of poles in the right half of the s-plane, if any, and comment on whether the system will produce stable or oscillatory output signals.	10 Marks	L3	CO 4

Or				
18.	a.	A unity feedback control system is used in an industrial process where stable and sustained motor operation is critical. The open-loop transfer function of the system is given by: $G(s) = \frac{K}{s(1 + 0.4s)(1 + 0.25s)}$ 1) Determine the range of values of gain K for which the system remains stable. 2) Identify the marginal value of K at which the system transitions to sustained oscillations. 3) Identify the frequency of sustained oscillations corresponding to marginal stability.	10 Marks	L3 CO 4

19.	a.	In a radio frequency (RF) communication receiver, an automatic gain control (AGC) loop is used to regulate the signal amplitude and maintain stable operation of the receiver. The dynamic behaviour of the AGC loop can be analysed using the root locus method. The open-loop transfer function of the unity feedback system representing the AGC loop is given by $\frac{k}{s(s^2 + 8s + 32)}$ where K represents the adjustable gain of the amplifier in the feedback loop. Analyse the system stability by constructing the root locus for the given open-loop transfer function	10 Marks	L4 CO 4
-----	----	---	-------------	---------------

Or				
20.	a.	Consider the magnitude plot of the open-loop T.F. given below a) Analyze the given plot and determine the corresponding transfer function. b) Estimate the corner frequencies from the plot. c) Comment on the type and order of the system based on the analysis 	10 Marks	L4 CO 4

21.	a.	A control engineer is designing a position control system for a robotic arm used in an automated manufacturing unit. The system exhibits steady-state error and requires improved accuracy without significantly affecting stability. To achieve this, a phase lag lead compensator is introduced in the control loop. Explain the circuit diagram, transfer function and frequency response of a phase lag lead compensator with suitable diagrams.	10 Marks	L2	CO 5
Or					
22.	a.	A control engineer is working on improving the speed regulation of a DC motor drive used in an electric vehicle system. The system shows acceptable transient response but suffers from steady-state speed error under varying load conditions. To enhance low-frequency performance without significantly affecting stability, a phase lag compensator is introduced. Explain the circuit diagram, transfer function and frequency response of a phase lag compensator with suitable diagrams.	10 Marks	L2	CO 5
23.	a.	A control engineer is developing a high-precision motion control system for a CNC machine tool. During testing, the system exhibits inaccuracies, oscillations, and delays due to inherent nonlinear characteristics of actuators and mechanical components. Explain common types of nonlinearities that can present in control systems	10 Marks	L2	CO 6
Or					
24.	a.	A control engineer is tasked with analyzing and improving the performance of an autonomous vehicle suspension. During operation, the system exhibits complex dynamic behavior that cannot be accurately described using linear models. Explain the behavior of nonlinear systems with suitable examples.	10 Marks	L2	CO 6
25.	a.	In electronics, RLC circuits are widely used in applications such as filters, oscillators, and signal conditioning circuits for processing and controlling electrical signals. Compute the state model of the RLC circuit given below. 	10 Marks	L3	CO 6
Or					
26.	a.	The state model of an electronic control system for a motor drive is given below	10 Marks	L3	CO 6

		$\dot{x} = \begin{bmatrix} -4 & -1.5 \\ 4 & 0 \end{bmatrix} x + \begin{bmatrix} 2 \\ 0 \end{bmatrix} u(t), \quad y = \begin{bmatrix} 1.5 & 0.625 \end{bmatrix} x$ Compute the transfer function from the given state model			
--	--	---	--	--	--