



PRESIDENCY UNIVERSITY

BENGALURU

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End - Term Examinations – May/June 2026

Date: 18-05-2026

Time: 01:00pm – 04:00pm

School: SOIS	Program: information Science and engineering	
Course Code: ISE2503	Course Name: Information Theory and Coding	
Semester: VI	Max Marks: 100	Weightage: 50%

CO - Levels	C01	C02	C03	C04	C05
Marks	20	20	20	20	20

Instructions:

- (i) Read all questions carefully and answer accordingly.
- (ii) Do not write anything on the question paper other than roll number.

Part A

Answer ALL the Questions. Each question carries 2marks.

10Q x 2M=20M

1.	Define information and self-information.	2 Marks	L1	C01
2.	What is the difference between independent and dependent symbol sequences?	2 Marks	L1	C01
3.	State any two properties of entropy.	2 Marks	L1	C02
4.	What is information rate?	2 Marks	L1	C02
5.	define source coding.	2 Marks	L1	C03
6.	What is a uniquely decodable code?	2 Marks	L1	C03
7.	Define a discrete communication channel.	2 Marks	L1	C04
8.	What is mutual information?	2 Marks	L1	C04
9.	What is error detection?	2 Marks	L1	C05
10.	What is error correction?	2 Marks	L1	C05

Part B**Answer the Questions.****Total Marks 80M**

11.	a.	A source emits symbols with probabilities {0.5, 0.25, 0.15, 0.10}. Calculate the entropy of the source.	20 Marks	L3	C01
	b.	Explain the properties of entropy with suitable examples.		L2	C01
	c.	Describe Markov source and compute entropy for a simple two-state Markov model.		L3	C01
Or					
12.	a.	Define entropy and derive its expression. Explain its significance in communication systems.	20 Marks	L2	C01
	b.	Distinguish between independent and dependent information sources with examples.		L2	C01
	c.	A source produces symbols at a rate of 2000 symbols/sec with entropy 2 bits/symbol. Find the information rate.		L3	C01

13.	a.	Construct a Huffman code for symbols with probabilities {0.4, 0.3, 0.2, 0.1}. Find average code length and efficiency.	20 Marks	L3	C02
	b.	Explain Shannon–Fano coding with an example.		L2	C02
	c.	State and prove Kraft-McMillan inequality.		L4	C02
Or					
14.	a.	Explain Shannon’s noiseless coding theorem and its implications.	20 Marks	L2	C02
	b.	Describe the Extended Huffman Coding algorithm. (b) Construct an extended Huffman code for a source with symbol probabilities {0.4, 0.3, 0.2, 0.1} considering pairs of symbols		L4	C02
	c.	Explain Lempel-Ziv (LZ77) algorithm.		L3	C02

15.	a.	Define mutual information and derive its properties.	20 Marks	L2	C03
	b.	A Binary Symmetric Channel has crossover probability $p = 0.1$. Calculate channel capacity.		L3	C03
	c.	Explain Shannon’s second theorem and its significance.		L2	C03
Or					

16.	a.	Find the capacity of the Gaussian channel with a bandwidth of 10 MHz and the SNR is 10 dB.	20 Marks	L2	C03
	b.	Explain different types of communication channels: BSC, BEC, noiseless channel.		L3	C03
	c.	Consider a discrete communication channel with 3 inputs and 4 outputs. The incomplete channel matrix of that channel is as given below. Complete the channel matrix and also draw its channel diagram. $P \begin{pmatrix} Y \\ X \end{pmatrix} = \begin{bmatrix} 0.5 & 0.2 & * & 0.1 \\ 0.4 & 0.1 & 0.5 & * \\ 0.3 & * & 0.2 & 0.4 \end{bmatrix}$		L2	C03

17.	a.	Define linear block codes and explain generator matrix.	20 Marks	L2	C04
	b.	For a given parity-check matrix, determine syndrome and detect error.		L3	C04
	c.	Explain Hamming codes and their error correction capability.		L2	C04
Or					
18.	a.	Explain syndrome decoding with an example.	20 Marks	L3	C05
	b.	Construct a (7,4) Hamming code and encode a message.		L3	C05
	c.	Discuss real-world applications of error control coding.		L2	C05